



PRESSURE * VOLUME = (11/14) TEMPERATURE

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ABSTRACT :

The combine relation of volume , pressure and temperature of a given mass of gas can be derived from the combining law of (Boyle's law as well as Charle's law) , (Boyle's law as well as Gay Lussac's law) and (Charle's law as well as Gay Lussac's law). The combine relation of pressure, volume and temperature of a given mass of gas can be derived from the motion of a wheel.

Rotation is motion and vice versa .If a force is applied on a wheel and that force simultaneously converts to the centripetal force as well as the centrifugal force then the wheel moves forward. So every point on the wheel moves vertically on a curved path to cover horizontally on a straight line path.

The following laws are derived from the above fact as follows ,

LAW OF MOTION ----- Nrusingh's 1st law

(a) INERTIA OF REST : A body is at rest, until the applied force on it , converts to the centripetal force as well as the centrifugal force .

(b) INERTIA OF MOTION : A body is at motion, as long as the applied force on it , converts to the centripetal force as well as the centrifugal force .

The following law is derived from Nrusingh's 1st law

“ THE FORCE OF ACTION IS ALWAYS EQUAL TO THE SUM OF OPPOSITE REACTION AND ABSORPTION ” ----- Nrusingh's 2nd law

This implies that **14 PARTS ACTION = 11 PARTS REACTION + 3 PARTS ABSORPTION**

So **1 part action = (11/14) part reaction + (3/14) part absorption**

The following two laws are derived from Nrusingh's 2nd law

FORCE = (11/14) MASS*ACCELERATION ----- Nrusingh's 3rd law

ENERGY = (11/14) MASS (VELOCITY OF LIGHT)² ----- Nrusingh's 4th law

The following law is derived from Nrusingh's 3rd law

PRESSURE * VOLUME = (11/14) TEMPERATURE

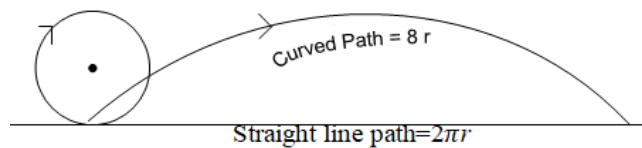
where **(11/14)** is the constant of proportionality

The above law is the general gas law of volume, pressure and temperature

KEY WORDS :

Pressure, volume, Temperature, Mass, Acceleration Force, Constant of proportionality, Absorption, Action, Reaction, Centripetal force, Centrifugal force, Cycloid path , Straight line path .

INTRODUCTION :



When a force is applied to a wheel so that the force is converted to the centripetal force as well as the centrifugal force then every point of the wheel moves vertically **8r length** in the cycloid path by the centripetal force and Simultaneously the same point covers **2πr length** horizontally on the straight line path by the centrifugal force.

Suppose s_1 = length of the cycloid path and s_2 = length of the straight line path

$$\text{So } s_1 = 8r \text{ and } s_2 = 2\pi r$$

$$\text{Here } 8r > 2\pi r \Rightarrow s_1 > s_2$$

Suppose v_1 = Velocity of any point on the cycloid path = $\frac{ds_1}{dt}$

And v_2 = Velocity of the same point on the straight line path = $\frac{ds_2}{dt}$

$$\text{As } s_1 > s_2 \Rightarrow \frac{ds_1}{dt} > \frac{ds_2}{dt}$$

$$\text{So } v_1 > v_2 \Rightarrow mv_1 > mv_2$$

$$\Rightarrow m \frac{dv_1}{dt} > m \frac{dv_2}{dt} \Rightarrow ma_1 > ma_2$$

$$\text{Hence } F_1 > F_2$$

$$\text{where } \frac{dv_1}{dt} = a_1, \quad \frac{dv_2}{dt} = a_2$$

$$F_1 = ma_1 \text{ and } F_2 = ma_2$$

The magnitude of the centripetal force is equal to the magnitude of the centrifugal force. But $F_1 > F_2 \Rightarrow$

$$F_1 = F_2 + \text{SOME ABSORBED FORCE}$$

$$\text{Here } F_1 = \text{CENTRIPETAL FORCE}$$

$$\text{And } F_2 + \text{SOME ABSORBED FORCE} = \text{CENTRIFUGAL FORCE}$$

$$\text{Now } F_1 = F_2 + \text{SOME ABSORBED FORCE}$$

$$\Rightarrow \text{ACTION FORCE} = \text{REACTION FORCE} + \text{ABSORPTION FORCE}$$

$$\Rightarrow \text{ACTION} = \text{REACTION} + \text{ABSORPTION}$$

SUBJECT MATTER :

The centripetal force is applied on a point of a wheel so that point moves **8r length** on the cycloid path, Simultaneously the centrifugal force is applied on the same point of the wheel so the point covers **2πr length** on the straight line path .

$$\text{So } F_1 : F_2$$

**ACTION OF CENTRIPETAL FORCE :
REACTION OF CENTRIFUGAL FORCE**

$$\text{So } F_1 : F_2 = 8r : 2\pi r = 8 : 2\pi \\ = 8 : (2 * 22/7) = (8 * 7/7) : (2 * 22/7)$$

$$\text{Hence } F_1 : F_2 = 56 / 7 : 44 / 7 \\ = 56 : 44 = 14 : 11$$

This implies that,

“ TO EVERY 14 PARTS OF ACTION, THERE
IS 11 PARTS OF REACTION ”

**The magnitude of the centripetal force
is equal to the magnitude of the
centrifugal force.**

So each one of centripetal force as well as
the centrifugal force must do equal
amount of work. But here centripetal force
does more work than the centrifugal force,
This implies that some amount of
centrifugal force is absorbed on the road .

Hence

$$14 \text{ PARTS ACTION} - 11 \text{ PARTS REACTION} \\ = 3 \text{ PARTS ABSORPTION}$$

To every 14 parts of action, there is 11
parts of reaction and 3 parts of
absorption .This implies that

$$14 \text{ PARTS ACTION} = 11 \text{ PARTS} \\ \text{REACTION} + 3 \text{ PARTS ABSORPTION}$$

$$\text{So } 1 \text{ part action} = (11/14) \text{ part} \\ \text{reaction} + (3/14) \text{ part absorption}$$

The law of force states that ,

**THE ACCELERATION OF A BODY IS
DIRECTLY PROPORTIONAL TO THE
RESULTANT FORCE AND INVERSELY
PROPORTIONAL TO ITS MASS**

Suppose F = Resultant force , which
makes the body to move,

m = mass of the body and

a = acceleration of the body .

Mathematically , the above law can be
expressed in the following two ways

**The acceleration of a body is directly
proportional to the resultant force**

$$\text{i.e. } a \propto F \text{ -----(1)}$$

and also

**The acceleration of a body is inversely
proportional to its mass**

$$\text{i.e. } a \propto (1 / m) \text{ -----(2)}$$

Combining the above two facts (1) and
(2) it is obvious that

**The acceleration of the body is
directly proportional to (force/mass)**

$$\text{i.e. } a \propto F * (1 / m) = (F / m)$$

$$\text{So } a \propto (F / m)$$

Its converse is also true

**So (force / mass) is directly
proportional to acceleration of the
body i.e. (F / m) \propto a**

This implies that ,

**Force is directly proportional to the
product of the mass and acceleration**

$$\text{i.e. } F \propto (m * a)$$

$$\text{So } \text{Force} = k (\text{mass} * \text{acceleration})$$

Where k = Constant of proportionality

$$\text{As } 1 \text{ part action} = (11/14) \text{ part reaction} \\ + (3/14) \text{ part absorption}$$

So it is obvious that ,

**1 part of the centrifugal force = (11/14)
part of the centrifugal force used for
motion + (3/14) part of the centrifugal
force used for absorption .**

The above fact implies that , when 1 part
of force is applied to a wheel ,then the
wheel moves by the (11/14) part of that
force and the rest (3/14) part of the force
is absorbed on the way .

**So only (11/14) part of the force is used
for the working purpose out of the 1
part of the applied force and the rest
3/14 part of the force is absorbed in
the medium .**

As only 11/14 part of the force is used for
the working purpose out of 1 part of force,
So for the working of the force the
**Constant of proportionality is k , and
the value of k = (11 / 14)**

But **Force = k (mass * acceleration)**
------(3)

Putting the value of k = (11/14) in
equation (3) , It is obtained that

Force = (11/14) mass * acceleration

Hence **F = (11/14) m * a**

**IT IS THE ACTUAL RESULTANT FORCE,
WHICH DOES THE WORK .**

Boyle's law states that ,

**The volume of given mass of a gas is
inversely proportional to its pressure
at constant temperature**

Mathematically, Boyle's law can be
expressed as follows

Volume \propto 1/ Pressure -----(4)

Charle's law states that ,

**Pressure remaining constant, the
volume of the given mass of a gas is
directly proportional to its Kelvin
temperature .**

Mathematically, Charle's law can be
expressed as follows

Volume \propto Temperature -----(5)

Gay Lussa's law states that,

**The pressure of given mass of a gas
is directly proportional to its Kelvin
temperature at constant volume**

Mathematically, Gay Lussac's law can be
expressed as follows

Pressure \propto Temperature -----(6)

CASE –I

Combining law of Boyle and Charle

The followings laws are Boyle's law and
Charle's law

Volume \propto 1/ Pressure -----(4)

and **Volume \propto Temperature------(5)**

So combining the laws of (4) and (5)

It is obtained that

Volume \propto (Temperature / Pressure)

=>Pressure \propto (Temperature / Volume)

where **Volume = V , Pressure = P**

and **Temperature = T**

Here Pressure $\propto T / V$

$$\Rightarrow \text{Force/Area} \propto T / V$$

Since Force / Area = Pressure

Now Force / Area $\propto T / V$

$$\Rightarrow \text{Force} \propto \text{Area} (T / V)$$

$$\Rightarrow \text{Force} = k * \text{Area} (T / V)$$

Since (11/14) part of force is used only for the working purpose out of the 1 part of the applied force and the rest 3/14 part of the force is absorbed in the medium .

$$\text{So } F = (11/14) m * a$$

Hence for the working purpose of force,

k = constant of proportionality =(11/14),

$$\text{Hence Force} = k * \text{Area} (T / V)$$

$$\Rightarrow \text{Force} = (11/14) * \text{Area} (T / V)$$

$$\Rightarrow \text{Force/Area} = (11/14) (T / V)$$

$$\Rightarrow \text{Pressure} = (11/14) (T / V)$$

$$\Rightarrow \text{Pressure} * \text{Volume} = (11/14) T$$

$$\Rightarrow \text{Pressure} * \text{Volume}$$

$$= (11/14) \text{ Temperature}$$

$$\Rightarrow P V = (11/14) T$$

So the combining law of Boyle and Charle states that

$$\text{PRESSURE} * \text{VOLUME}$$

$$= (11/14) \text{ TEMPERATURE}$$

$$\Rightarrow P V = (11/14) T$$

CASE -II

Combining law of Charle and Gay Lussac

The followings laws are Boyle's law and Gay lussac's law .

Boyle's law states that

$$\text{Volume} \propto 1/ \text{Pressure}$$

The converse of this statement is also true,

$$\text{So Pressure} \propto 1/ \text{Volume} \text{ -----(4)}$$

and Gay lussac's law states that

$$\text{Pressure} \propto \text{Temperature} \text{ -----(6)}$$

So combining the laws of (4) and (6)

It is obtained that ,

$$\text{Pressure} \propto \text{Temperature} / \text{Volume}$$

$$\Rightarrow (\text{Force/Area}) \propto \text{Temperature/Volume}$$

$$\text{Since Pressure} = \text{Force/Area}$$

$$\text{So Force} \propto \text{Area}(\text{Temperature} / \text{Volume})$$

$$\text{Now Force} \propto \text{Area} (T / V)$$

$$\Rightarrow \text{Force} = k * \text{Area} (T / V)$$

Since (11/14) part of force is used only for the working purpose out of 1 part of the applied force and the rest 3/14 part of the force is absorbed in the medium . So $F = (11/14) m * a$

Hence for the working purpose of force,

k = constant of proportionality = (11/14)

$$\text{Hence Force} = k * \text{Area} (T / V)$$

$$\Rightarrow \text{Force} = (11/14) \text{Area} (T / V)$$

$$\Rightarrow \text{Force/Area} = (11/14) (T / V)$$

$$\Rightarrow \text{Pressure} = (11/14) (T / V)$$

$$\Rightarrow \text{Pressure} * \text{Volume}$$

$$= (11/14) \text{ Temperature}$$

So the Combining law of Boyle and Gay Lussac states that

PRESSURE * VOLUME

$$= (11/14) \text{ TEMPERATURE}$$

This implies that $P V = (11/14) T$

CASE -III

Combining law of Charle and Gay Lussac

The followings are Charle's law and Gay Lussac's law

$$\text{Volume} \propto \text{Temperature}$$

The converse of this statement is also true,

$$\text{So Temperature} \propto \text{Volume} \text{ -----(5)}$$

$$\text{and Pressure} \propto \text{Temperature}$$

The converse of this statement is also true,

$$\text{So Temperature} \propto \text{Pressure} \text{ -----(6)}$$

Hence combining the laws of (5) and (6), it is obtained that

$$\text{Temperature} \propto \text{Volume} * \text{Pressure}$$

The converse of this statement is also true,

$$\text{So Pressure} * \text{Volume} \propto \text{Temperature}$$

$$\Rightarrow \text{Pressure} \propto (\text{Temperature}/\text{Volume})$$

$$\Rightarrow (\text{Force}/\text{Area}) \propto \text{Temperature}/\text{Volume}$$

$$\text{Since Force} / \text{Area} = \text{Pressure}$$

$$\Rightarrow \text{Force} \propto \text{Area} * (\text{Temperature}/\text{Volume})$$

$$\Rightarrow \text{Force} \propto \text{Area} * (T / V)$$

$$\Rightarrow \text{Force} = k * \text{Area} (T / V)$$

Since (11/14) part of force is used only for the working purpose out of the 1 part of the applied force and the rest 3/14 part of the force is absorbed in the medium.

$$\text{So } F = (11/14) m * a$$

Hence for the working purpose of force,

$$k = \text{constant of proportionality} = (11/14)$$

$$\text{Hence Force} = k * \text{Area} (T / V)$$

$$\Rightarrow \text{Force} = (11/14) \text{Area} (T / V)$$

$$\Rightarrow (\text{Force}/\text{Area}) = (11/14) (T / V)$$

$$\Rightarrow \text{Pressure} =$$

$$(11/14)(\text{Temperature} / \text{Volume})$$

$$\text{Since Force} / \text{Area} = \text{Pressure}$$

$$\text{Hence Pressure} * \text{Volume}$$

$$= (11/14) \text{Temperature}$$

So the combining law of Charle and Gay Lussac states that

PRESSURE * VOLUME

$$= (11/14) \text{ TEMPERATURE}$$

$$\Rightarrow PV = (11/14) T$$

CONCLUSION :

All the combining laws of (Boyle's law as well as Charle's law), (Boyle's law as well as Gay Lussac's law) and (Charle's law as well as Gay Lussac's law) state that

PRESSURE * VOLUME

$$= (11/14) \text{ TEMPERATURE}$$

This law is the general gas law of volume, pressure and temperature.

If any two of the pressure, volume and temperature of a given mass of gas are given then the third one can be found out by the following way .

The general gas law of volume, pressure and temperature of a given mass of gas States that

PRESSURE * VOLUME

= (11/14) TEMPERATURE

$$\Rightarrow PV = (11/14) T$$

If the volume and the pressure of given mass of a gas is given, then the temperature of it can be found out as follows

$$\text{Since } PV = (11/14) T$$

$$\Rightarrow T = (14/11) PV \text{ ----- (I)}$$

If the volume and the temperature of given mass of a gas is given ,then the pressure of it can be found out as follows

$$\text{Since } PV = (11/14) T$$

$$\Rightarrow P = (11/14) (T/V) \text{ ----- (II)}$$

If the temperature and the pressure of given mass of a gas is give ,then the volume of it can be found out as follows

$$\text{Since } PV = (11/14) T$$

$$\Rightarrow V = (11/14) (T/P) \text{ -----(III)}$$

Here P = Pressure , V = volume and

T = Temperature

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